

Seminar-Praktikum: “Communications 1”

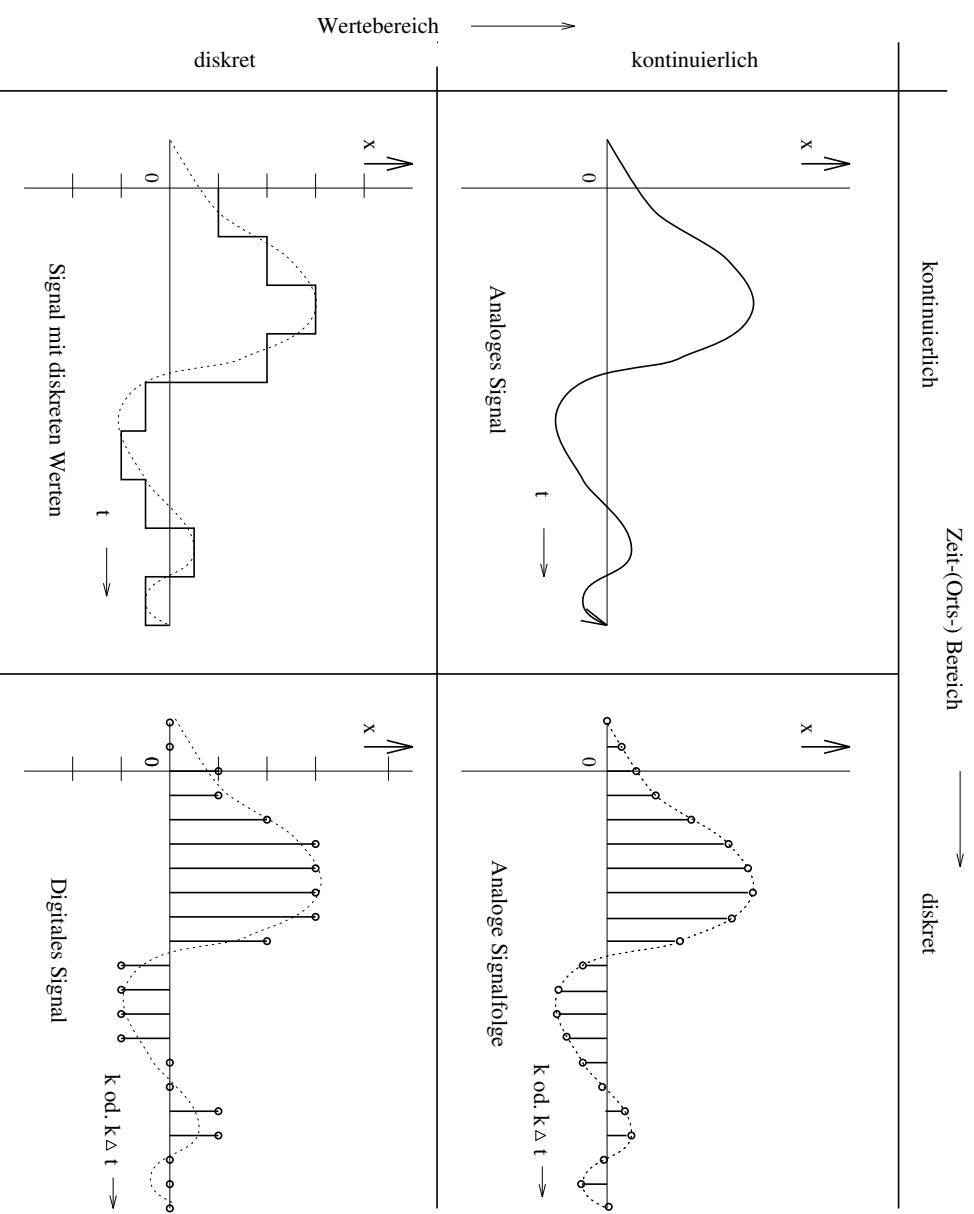
Seminarversuch 2:

“Signalparameter im Zeit- und Frequenzbereich”

Stand: 30.10.2008

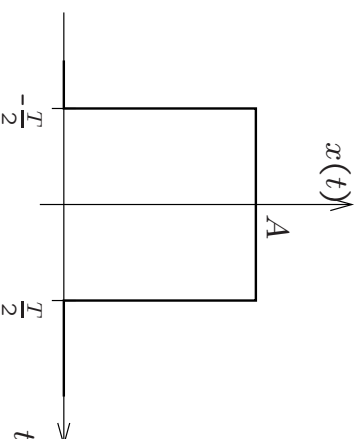
1. Zeit- und Werteigenschaften von Signalen
2. Prinzip der Abtastung und Quantisierung analoger Signale





Zeit- und Werteigenschaften von Signalen



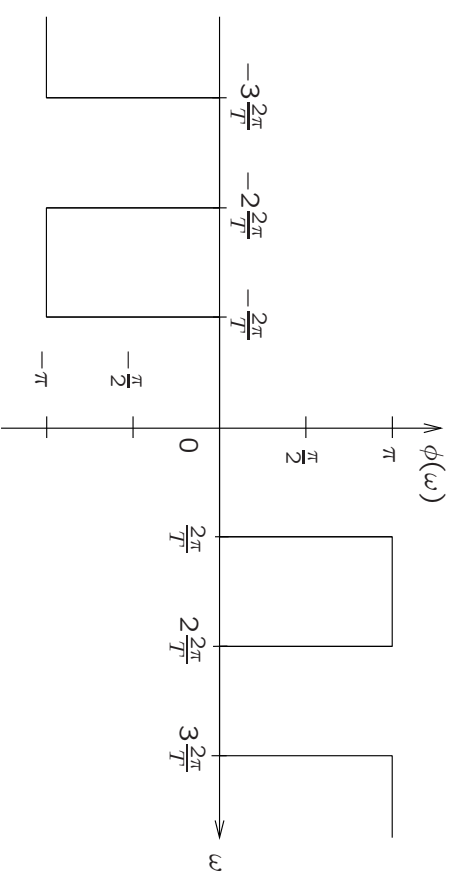
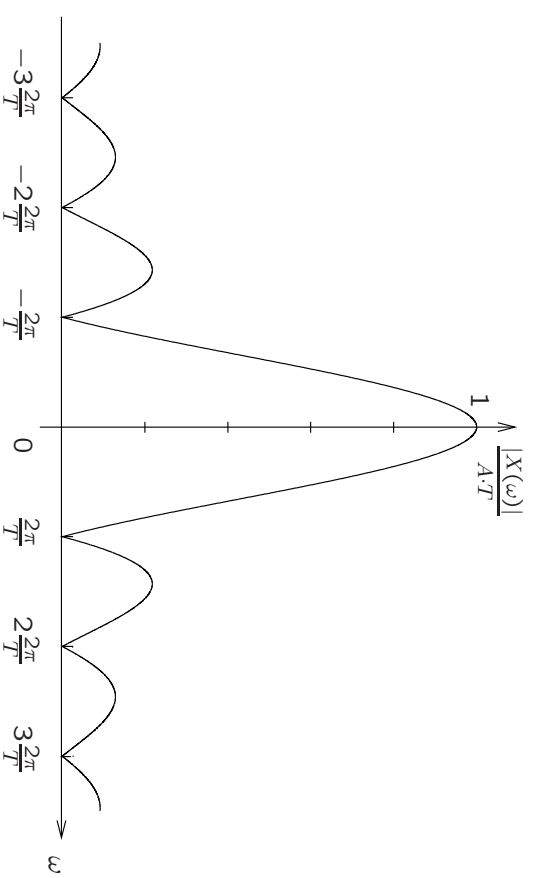


$$x_p(t) = \sum_{n=-\infty}^{\infty} x(t - nT_0), \quad \text{wobei } T \leq T_0$$

$$= \sum_{n=-\infty}^{+\infty} c_n e^{jn\omega_0 t} \quad \text{mit } c_n = \frac{1}{T_0} \int_{\frac{T_0}{2}}^{\frac{T_0}{2}} x(t) e^{-jn\omega_0 t} dt, \quad \omega_0 = \frac{2\pi}{T_0}$$

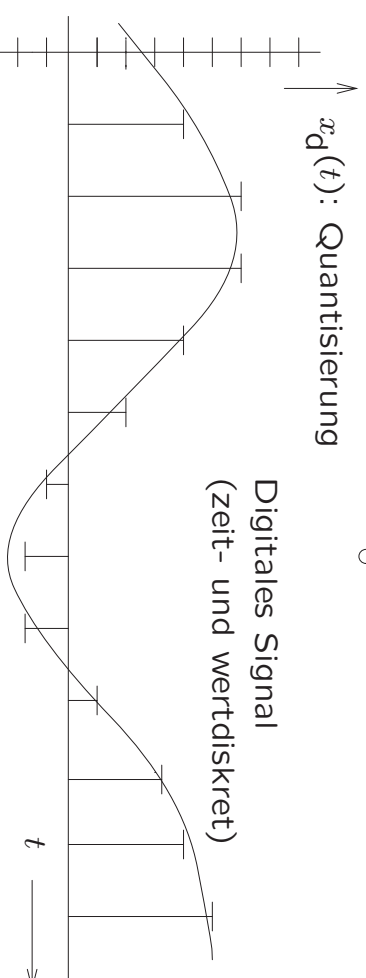
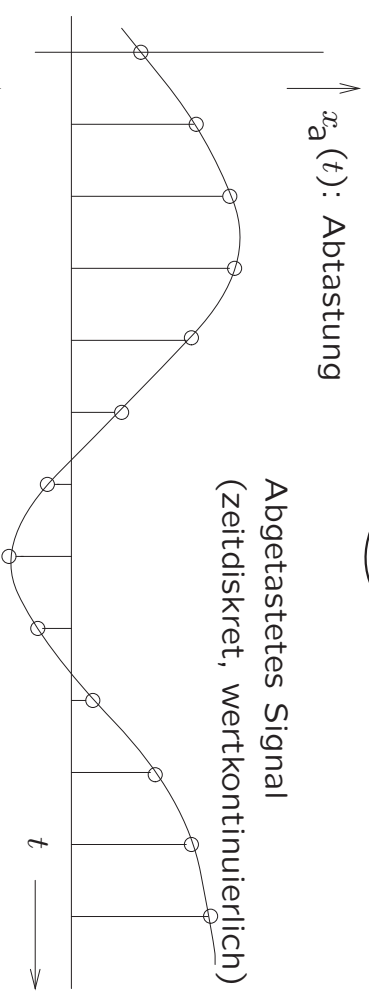
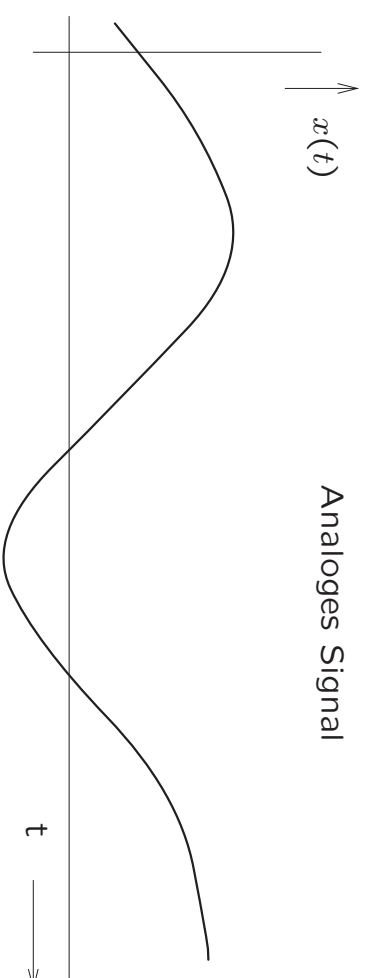
$$X(\omega) = \int_{-\infty}^{+\infty} x(t) e^{-j\omega t} dt = \int_{-\frac{T_0}{2}}^{+\frac{T_0}{2}} x(t) e^{-j\omega t} dt$$

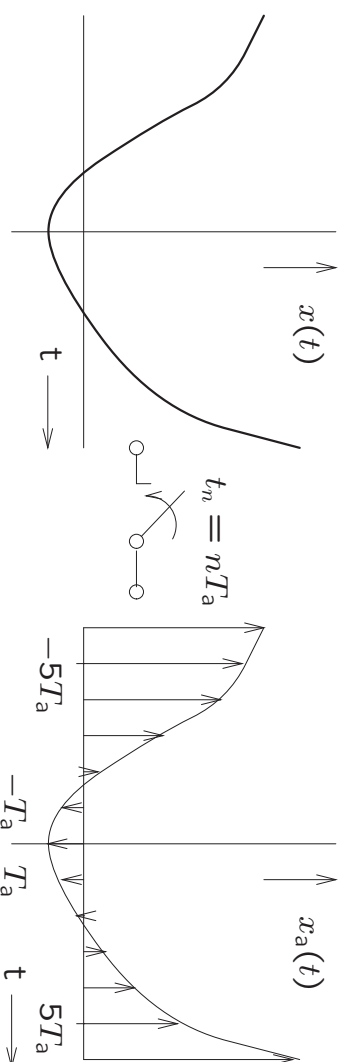




Betrags- und Phasenspektrum der Funktion $x(t)$

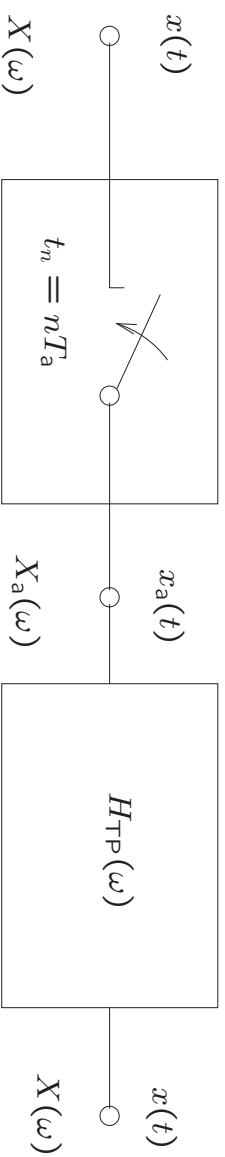






”Ideale” Abtastung eines kontinuierlichen Signals



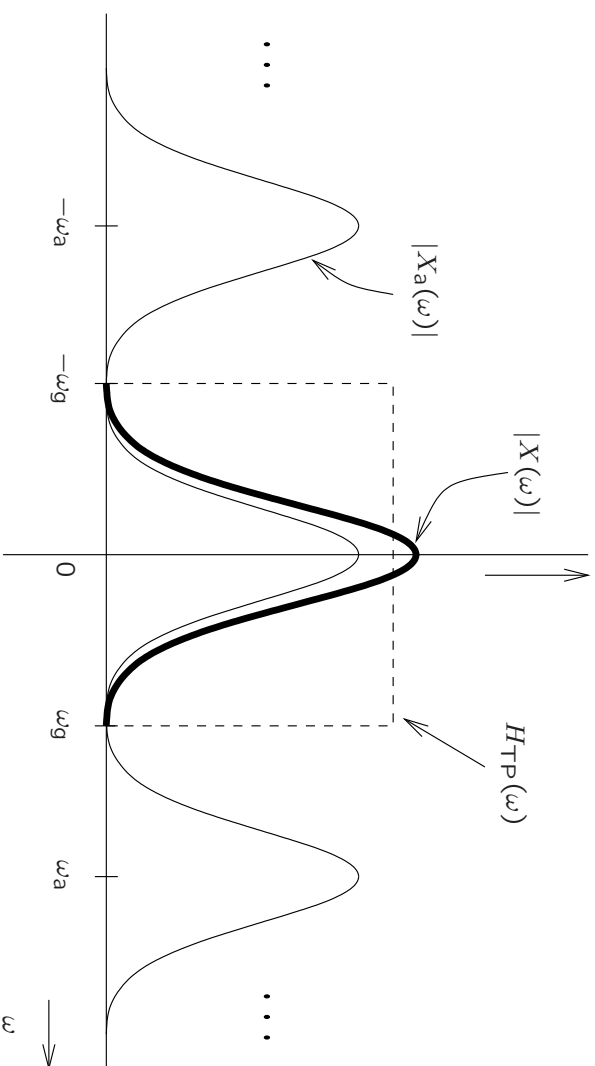


$$x_a(t) = x(t) \cdot \sum_{n=-\infty}^{\infty} \delta(t - nT_a) = \sum_{n=-\infty}^{\infty} x(nT_a) \delta(t - nT_a)$$

$$X_a(\omega) = \frac{1}{T_a} \cdot X(\omega) * \sum_{n=-\infty}^{\infty} \delta(\omega - n\omega_a)$$

$$H_{TP}(\omega) = \begin{cases} T_a & |\omega| \leq \omega_g \\ 0 & \text{sonst} \end{cases},$$





Spektralfunktion bei Abtastung mit der Nyquiststrate

